# Practical Girids for Dollar Billls 

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U.S. dollar bill is $6.14 \times 2.61$ " (about $156.0 \times 66.3 \mathrm{~mm}$ ). Simpler ratios provide commonly used practical estimates: 3:7, 5:12 and 8:19. The latter two directly yield practical grids. 7:16 also works for many purposes. $3: 7$ is a bit off and low-resolution, even once doubled, but distributing the error produces a workable $6 \times 14$ grid. These are not as straight forward as squares divided into powers of two, yet powers of two are bound to get involved in generating them. For those who would rather not re-invent the wheel, here are some methods of producing various grids of squares aligned to the edges of a U.S. dollar bill.
$8 / 19=0.42105263157894736842105263157895$
$5 / 12=0.41666666666666666666666666666667$
$7 / 16=0.4375$
$3 / 7=6 / 14=0.42857142857142857142857142857143$
$12 / 29=0.41379310344827586206896551724138$
$14 / 33=0.42424242424242424242424242424242$
$2.61 / 6.14=0.4250814332247557003257328990228$

## 8x19 - An Intuitive Approach

This method measures off two squares - a 1:2 rectangle - for an 8:16 grid whose sixteenths are copied for the remaining length of the bill. This is a fairly intuitive and easy to understand method, but small inaccuracies often result in an undersized final division. This method can be used with extreme precision on a real bill, but the next section presents a more accurate folding order for a real bill. This method is useful to measure off practice paper from longer rectangles.
1.


2

3.

4.


Unfold the diagonals (the folds from steps 1 and 2 but not step 3).
5.


The 1:2 has been measured off and is easier to deal with for a while.
6.



Fold each end to the furthest horizontal crease.


Flip fold at the top. (Allow the flap at the top to flip around forward as you fold one layer of paper.) Do not unfold. At the bottom, fold and unfold.


Pre-crease. Fold and unfold to divide each of the larger rectangles in half. Fan-folding works well here.
9.


Fold even with the edge behind. Unfold completely.


Cupboard fold.
13.


Valley fold the long raw edges lying in the center to the long folded edges.
15.

16.


Cupboard fold.
17. Pre-crease.

## 8x19 - Greater Accuracy

The previous, more intuitive method accumulated tiny inaccuracies until they became very evident in the $19^{\text {th }}$ division. This second method inverts the previous one. It starts by generating four of the $19^{\text {th }}$ divisions. Three are needed, not four, but the fourth was a practical necessity. Once three are known, the remaining length can be treated as a 1:2 rectangle and divided into sixteenths. Any inaccuracy in dividing the length into a 1:2 rectangle and the rest now is in the $1: 2$ rectangle and will be divided among the sixteenths and should be so imperceptible that the fact that one of those sixteenths was folded with the other end will not matter.
1.


A pinch would suffice, but a complete diagonal is harmless and usually more accurate.


Folding to the pinch creates the $4 / 19$ ths line - or the $15 / 19$ ths counting from the other end.



Unfold the first horizontal crease (step 2) but not the second (step 3).

6.

10.

11.

12.

13.


The visible rectangle is $1: 2$, with the first three (3) 19ths folded behind.


For the remaining divisions, it is best to fan-fold. Unfold completely.
15.


Continue from step 11 of the intuitive 8 x19 grid.

With real bills, usually the fold-to landmark will work, spreading the tiny bit of error out over multiple pleats such that it becomes negligible. If fold-to and fold-through landmarks disagree more significantly (as it will for most play dollar bills) or a slightly narrower division on one side is desired, use the fold-through landmarks. An unneeded division can then be tucked under to avoid the color-change from an odd number of divisions. This $7 \times 16$ grid can be handy for adaptation from 1:2 designs with an $8 \times 16$ grid if the width wasn't used efficiently (which many letters don't).
1.

2.


4.

5.

7.


## 9. <br> 

11. 


13.


Unfold completely.
10.

12.

14.

16.


## $10 \times 24$ and $5 \times 12$

$5 \times 12$ would be quite low-resolution. $10 \times 24$ is more generally useful. However, if $5 \times 12$ is needed the same gridding method can be stopped short a level.
1.


Start with thirds using your favorite method such as the 'S' method. Mountain/valley isn't terribly important here. If gridding many bills, a jig speeds this along.
3.

$1 / 6$ and 5/6..


Half. Notice that the $3 / 6==1 / 2$.
4.


Twelfths.
5.


Twenty-fourths.
6.

7.

8.

9.

10.


11

12.


## $6 \times 14$

This uses the 3:7 estimate which is a bit off, but with this folding method the extra half grid square or so of length will be distributed among the fourteen divisions rendering it negligible. Alternatively, grid accurately from each end and put an extra space between letters or other elements where it will be useful. Subdivide for $12 \times 28$ or use another folding method for a more accurate $12 \times 29$.
1.


Start with thirds using your favorite method such as the ' S ' method. Reverse a crease afterward as needed because usually two valleys will be more convenient here than a mountain and a valley. If gridding many bills, a jig speeds this along.
3.


Sixths.

4.

5.

6.

7.

8.

9.




